

DISCRETE LAPLACE TRANSFORMS OF SINE FUNCTION BY NABLA OPERATOR

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Abstract: In this paper, we define difference operator providing some results also we derived Laplace transform of sine series. A definition for the Laplace transform corresponding to the nabla difference operator is given.

Keywords and Phrases: Generalized Laplace Transform, Inverse Difference Operator, Nabla Operator and Sine Series.

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1. Introduction

Many applications are obtained using difference equation and its corresponding difference operator ∇ . The Laplace transform can also be used to solve differential equation and is used extensively in electrical engineering. The theory of difference equation is developed the difference operator $\nabla_{\ell}u(k) = u(k) - u(k - \ell)$, $k \in N$, where N is the set of natural numbers. The Laplace Transform of $f(t)$ is defined by $L(f(t)) = \int_0^{\infty} e^{-st} f(t) dt$ provided the integral exists, s is a parameter.

Definition 1.1. If n and ℓ are any two positive integers then the generalized positive polynomial factorial is $k_{\ell}^{(n)} = k(k - \ell)(k - 2\ell) \dots (k - (n - 1)\ell)$, $k_{\ell}^{(0)} = 1$ and